# Data Encryption Standard (DES) 

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## Overview of DES

- Symmetric block cipher.
- 56-bit key.
- 64-bit input block, 64-bit output block.
- Developed in 1977 by National Institute of Standards and Technology (NIST); and designed by IBM.


## Simplified DES (S-DES)

- Input (plaintext) block: 8-bits
- Output (ciphertext) block: 8-bits
- Key: 10-bits
- Rounds: 2
- Round keys generated using permutations and left shifts
- Encryption: initial permutation, round function, switch halves
- Decryption: Same as encryption, except round keys used in opposite order


## S-DES Algorithm



## S-DES Round Keys Generation




## S-DES Key Generation and Encryption

Secret key


Ciphertext

S-DES Key Generation and Decryption
Secret key


Plaintext

## S-DES Round Function



## S-DES Permutations

- Permutation means transposition or rearrangement of bits.
$>$ P10 (permutation)

| Input | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: | :---: |
| Output | 3 | 5 | 2 | 7 | 4 | 10 | 1 | 9 | 8 | 6 |

$>$ P8 (selection and permutation)

| Input | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: |
| Output | 6 | 3 | 7 | 4 | 8 | 5 | 10 | 9 |  |  |

$>$ P4 (permutation)

| Input | 1 | 2 | 3 | 4 |
| :--- | :--- | :--- | :--- | :--- |
| Output | 2 | 4 | 3 | 1 |

## S-DES Operations

$>E P$ (Expansion and Permutation)

| Input | 1 | 2 | 3 | 4 |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Output | 4 | 1 | 2 | 3 | 2 | 3 | 4 | 1 |

>IP (Initial Permutation)

| Input | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Output | 2 | 6 | 3 | 1 | 4 | 8 | 5 | 7 |

$>I P^{-1}$ (Inverse of Initial Permutation)

| Input | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Output | 4 | 1 | 3 | 5 | 7 | 2 | 8 | 6 |

## S-DES Operations

- LS-1: left shift by 1 position
- LS-2: left shift by 2 positions
- $I P^{-1}$ : inverse of IP, such that $\mathrm{X}=I P^{-1}(\mathrm{IP}(\mathrm{X}))$
- SW: swap the halves (Switching Function)
- $f_{K}$ : round function using round key $K$
- F: internal function in each round


## XOR Table

- If the bits are similar, the output is 0
- If the bits are different, the output is 1

| A | B | A XOR B |
| :---: | :---: | :---: |
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

## S-Boxes of S-DES

- S-Box considered as a matrix: input used to select row/column; selected element is output
- 4-bit input: bit $_{1}$, bit $_{2}$, bit $_{3}$, bit $_{4}$
- bit $_{1}$ bit $_{4}$ specifies row (0, 1, 2 or 3 in decimal)
- bit $_{2}$ bit $_{3}$ specifies column
- 2-bit output
- Indexing of S-Boxes starts from 0 to 3 for rows and columns.


## S-Boxes of S-DES

$$
S O=\left[\begin{array}{llll}
01 & 0 & 11 & 10 \\
11 & 10 & 0 & 00 \\
00 & 10 & 01 & 11 \\
11 & 01 & 11 & 10
\end{array}\right] S 1=\left[\begin{array}{llll}
00 & 0 & 10 & 11 \\
10 & 00 & 01 & 11 \\
11 & 0 & 01 & 00 \\
10 & 01 & 00 & 11
\end{array}\right]
$$

## S-Boxes of S-DES

$$
S 0=\left[\begin{array}{llll}
1 & 0 & 3 & 2 \\
3 & 2 & 1 & 0 \\
0 & 2 & 1 & 3 \\
3 & 1 & 3 & 2
\end{array}\right] \quad S 1=\left[\begin{array}{llll}
0 & 1 & 2 & 3 \\
2 & 0 & 1 & 3 \\
3 & 0 & 1 & 0 \\
2 & 1 & 0 & 3
\end{array}\right]
$$

## S-DES vs. DES

|  | S-DES | DES |
| :--- | :---: | :---: |
| Block size | 8 bits | 64 bits |
| Key size | 10 bits | 56 bits |
| Rounds | 2 | 16 |
| IP | 8 bits | 64 bits |
| S-Boxes | 2 | 8 |
| Round keys | 2 | 16 |
| Round key size | 8 bits | 48 bits |

## S-DES summary

- Educational encryption algorithm
- S-DES expressed as functions:

$$
\begin{aligned}
& \text { ciphertext }=\operatorname{IP}^{-1}\left(f_{K_{2}}\left(\operatorname{sw}\left(f_{K_{1}}(\operatorname{IP}(\text { plaintext }))\right)\right)\right) \\
& \text { plaintext }=\operatorname{IP}^{-1}\left(f_{K_{1}}\left(\operatorname{sw}\left(f_{K_{2}}(\operatorname{IP}(\text { ciphertext }))\right)\right)\right)
\end{aligned}
$$

- Brute force attack on S-DES is easy since only 10-bit key
- If we know plaintext and corresponding ciphertext, can we determine key? Very hard


## Example1

Deploying S-DES cipher, encrypt the plaintext (01110010) using the key (1010000010).
*Round keys generation ( $k_{1}$ and $k_{2}$ ):
K: 1010000010 (10-bit key)
P10: 1000001100
LS-1: 0000111000 (deployed on both halves of P10)
P8: 10100100 (represents $k_{1}$ )
LS-2: 0010000011 (deployed on both halves of LS-1)
P8: 01000011 (represents $k_{2}$ )
$k_{1}$ and $k_{2}$ (each 8-bit) are used as inputs in the encryption and decryption stages.

## Example1, cont.

Encryption:
> Round1:
Plaintext: 01110010
IP: 10101001
R-half: 1001
L-half: 1010
EP: 11000011 (deployed on R-half)
XOR: 01100111 (EP XOR $k_{1}$, which represents substitution)
SO: 0110 (left half of XOR deployed on S-Box 0 )
row = 00 (decimal 0 )
column = 11 (decimal 3 )
output $=10$ (row 0 and column 3 of SO)

## Example1, cont.

S1: 0111 (right half of XOR deployed on S-Box 1)
row $=01$ (decimal 1)
column = 11 (decimal 3 )
output = 11 (row 1 and column 3 of S1)
S0S1: 1011
P4: 0111 (deployed on SOS1)
XOR: 1101 (P4 XOR L-half)
Result: 11011001 (XOR + R-half)
End of round1
SW: 10011101 (swapping the two halves of Result)
The output of SW function (10011101) is used as input in round2.

## Example1, cont.

$>$ Round2:
SW: 10011101
R-half: 1101
L-half: 1001
EP: 11101011 (deployed on R-half)
XOR: 10101000 (EP XOR $k_{2}$ )
SO: 1010 (left half of XOR deployed on S-Box 0 )

$$
\text { row = } 10 \text { (decimal } 2)
$$

$$
\text { column = } 01 \text { (decimal 1) }
$$

output = 10 (row 2 and column 1 of SO)

## Example1, cont.

S1: 1000 (right half of XOR deployed on S-Box 1)
row $=10$ (decimal 2 )
column = 00 (decimal 0)
output = 11 (row 2 and column 0 of S 1 )
SOS1: 1011
P4: 0111 (deployed on S0S1)
XOR: 1110 (P4 XOR L-half)
Result: 11101101 (XOR + R-half)
$\mathrm{IP}^{-1}: 01110111$
The ciphertext is (01110111)

## Example2

- Deploying S-DES algorithm, decrypt the ciphertext (00111000) using the key (1010000010).


## DES Algorithm



